

# Hydration dynamics gives the distinctive brown color in the “brown ring” nitrate test

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## Abstract

The brown ring test is one of the most popular and visually appealing reagent tests, commonly known to chemistry undergrads and familiar even to school students. The exact composition, mechanism and structure of the complex has been investigated for nearly a century. Recent studies have elucidated its UV-vis, EPR and Mössbauer spectra, mechanistic details and kinetics, followed by crystallization and structure determination in solid state. Nonetheless these studies were unable to address the aspects of solution structure and dynamics of the brown ring complex. We have conducted *ab initio* molecular dynamics simulations of the classic brown ring complex in aqueous solution. In the process from the simulation trajectory, we have identified that the classically established pseudo-octahedral  $[\text{Fe}(\text{H}_2\text{O})_5(\text{NO})]^{2+}$  complex is in chemical equilibrium with the square-pyramidal  $[\text{Fe}(\text{H}_2\text{O})_4(\text{NO})]^{2+}$  complex through the exchange of one of the coordinated  $\text{H}_2\text{O}$  molecules. The dynamics in aqueous solution between the penta-aqua and tetra-aqua complexes in the brown ring system has to our knowledge never been suggested earlier. Interestingly we find, using *ab initio* multi-reference quantum chemical methods *i.e.* CASSCF/NEVPT2 and CASPT2 calculations, that the mixture of these two complexes is what gives the distinctive **brown** coloration to the brown ring test. We show that its UV-vis spectrum can be theoretically reproduced only by accounting these two species, and not solely the classically established  $[\text{Fe}(\text{H}_2\text{O})_5(\text{NO})]^{2+}$  complex. The energetics of the penta-aqua and tetra-aqua complexes is also investigated at the level of multi-reference quantum chemical methods.

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## 25 I. INTRODUCTION

26 The brown ring test is a standard procedure in undergraduate and high school chemistry  
27 laboratory to detect the presence of nitrates in aqueous solution. The addition of  $\text{H}_2\text{SO}_4$  to  
28 a solution containing nitrate ions, in presence of  $\text{Fe}^{2+}$  ions, produces a distinct brown ring  
29 at the interface of the two aqueous solutions. The green-brown color of the brown ring is  
30 traditionally attributed to the formation of the  $[\text{Fe}(\text{H}_2\text{O})_5(\text{NO})]^{2+}$  complex [1–3], which has  
31 a quartet ( $S=3/2$ ) ground state. This is considered to be a very unstable complex, degraded  
32 by light and heat, and also the presence of sulfate ions. This particular reaction and the  
33 chemistry behind it has been studied for more than a century [1–3]. This inherent instabil-  
34 ity has hindered a detailed study of the brown ring test, though recent attempts have given  
35 invaluable insights into the electronic structure and instability of the complex [4]. Wanat  
36 and co-workers have studied the kinetic and spectroscopic aspects of the reversible reaction  
37 of NO with  $[\text{Fe}(\text{H}_2\text{O})_6]^{2+}$  to give the brown ring complex [4]. Their study also indicated  
38 the presence of a  $S=3/2$  (quartet) species using EPR, which also also the presence of a  
39 complex with an electronic structure resembling that of a  $\{\text{FeNO}\}^7$  species, following the  
40 Enemark-Feltham notation [5]. The superscript in  $\{\text{FeNO}\}^7$  denotes the combined number  
41 of valence electrons in the Fe  $3d$  and  $\text{NO}(\pi^*)$  orbitals. Mössbauer spectroscopy in agree-  
42 ment with EPR study also indicated the presence of a  $\{\text{FeNO}\}^7$  species with a high spin  
43  $\text{Fe}^{\text{III}}$  center anti-ferromagnetically coupled with a  $\text{NO}^-$  ( $S=1$ ) moiety. Eventually Monsch  
44 and co-workers reported the crystal data for the  $[\text{Fe}(\text{H}_2\text{O})_5(\text{NO})]^{2+}$  complex in their recent  
45 study [6]. The crystal could be isolated due the use of bulky gallate counter ion having  
46 perfluoropinacolato ligands. The XRD established the theoretically predicted octahedral  
47 structure of the complex with an axial NO ligand. However, the crystal structure predicted  
48 by Monsch and co-workers gives information of the complex in the solid phase and is unable  
49 to shed light in the solution phase chemistry, which was also addressed in a very limited  
50 scope by earlier works like that of Wanat and co-workers [4].

51 The interest in the brown ring complex is not limited to only undergraduate text books  
52 and as a test for nitrate ions. The Fe-NO bond is of prime interest to the bio-inorganic  
53 chemists [7, 8]. NO binding to relevant Fe centers in metallo-enzymes has been the topic of  
54 research on both experimental and theoretical fronts [9–12]. Traditional inorganic chemists  
55 have also found the Fe-NO bond very interesting, as reflected by the detailed study on

56 Hieber’s anion [13, 14]. Theoretical attempts have uni-vocally established the multi-  
57 configurational character of the Fe-NO bond [15–17]. Pierloot and co-workers have also  
58 stressed upon the importance of dynamical correlation in description of the Fe-NO bond [15].  
59 Multi-reference quantum chemical computations have also been used to show the O<sub>2</sub> activa-  
60 tion by Dinitrosyl Iron Complexes (DNICs) which contains two Fe-NO bonds [17]. The first  
61 attempt in using multireference theories to describe the classic brown ring complex was only  
62 done by Monsch and co-workers in 2019 [6]. Monsch and co-workers also performed various  
63 *ab initio* and density function theory (DFT) computations highlighting the oxidation state  
64 and spin densities of the complex.

65 Here in this study we perform *ab initio* molecular dynamics (AIMD) simulations of the  
66  $[\text{Fe}(\text{H}_2\text{O})_5(\text{NO})]^{2+}$  complex in aqueous environment combined with computations on clus-  
67 ter models for the UV-vis spectrum with multi-reference quantum chemical methods. The  
68 AIMD simulation suggests the formation of a  $[\text{Fe}(\text{H}_2\text{O})_4(\text{NO})]^{2+}$  species which remains in  
69 equilibrium with  $[\text{Fe}(\text{H}_2\text{O})_5(\text{NO})]^{2+}$ . Based on this, high level multi-reference computations  
70 were performed to validate the observation from the dynamics. We conclude that energet-  
71 ically both theses species are accessible and that hydrogen (H-) bonding with surrounding  
72 water molecules dictates the stabilization of one species over the other. Serendipitously while  
73 investigating their electronic properties, we find that  $[\text{Fe}(\text{H}_2\text{O})_5(\text{NO})]^{2+}$  alone cannot repro-  
74 duce the UV-vis spectra of the brown ring complex as published by Wanat and co-workers  
75 [4]. We find that only the presence of  $[\text{Fe}(\text{H}_2\text{O})_4(\text{NO})]^{2+}$  along with  $[\text{Fe}(\text{H}_2\text{O})_5(\text{NO})]^{2+}$  ,  
76 together can account for all the peaks in the VIS region of the spectra. Hence the brown  
77 color of the brown complex is, according to our computations, the result of having a chemical  
78 equilibrium between  $[\text{Fe}(\text{H}_2\text{O})_5(\text{NO})]^{2+}$  and  $[\text{Fe}(\text{H}_2\text{O})_4(\text{NO})]^{2+}$  in solution. Different means  
79 that corroborate our claim are also discussed.

## 80 II. RESULTS AND DISCUSSION

### 81 1. Occurrence of the $[\text{Fe}(\text{H}_2\text{O})_4(\text{NO})]^{2+}$ complex: Indications from AIMD simulations

82 An AIMD simulation of the brown ring complex in aqueous solution (aq) at ambient  
83 conditions were performed on  $\text{FeNOCl}_2$  solvated in 128 H<sub>2</sub>O molecules in the canonical  
84 (NVT) ensemble using the Car-Parrinello algorithm within the CPMD package [18–20]. The

85 simulations were carried out using the Becke-Perdew (BP86) pure DFT functional [21, 22]  
 86 and an unrestricted wave function with quartet spin multiplicity within the local spin density  
 87 approximation. The BP86 functional has been used earlier by Monsch and co-workers to  
 88 study this complex [6]. The system was sampled for 40 ps after an equilibration of 20 ps.  
 89 Further details of the AIMD simulation are provided in the IV section.

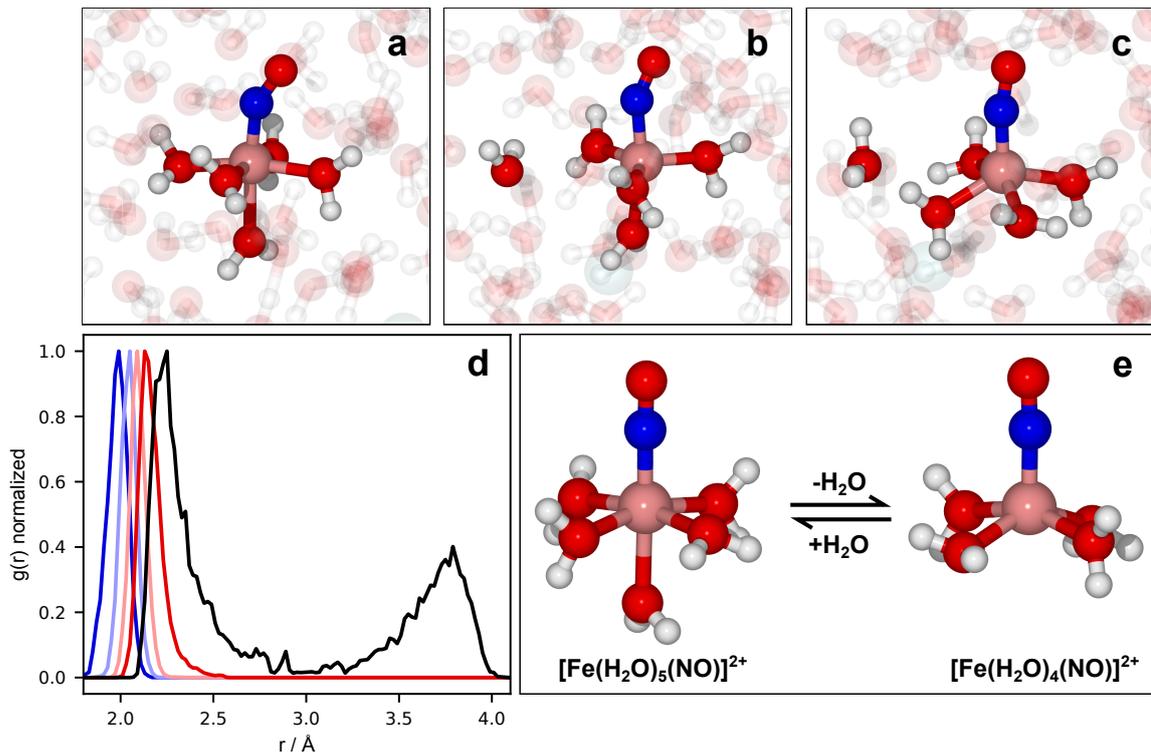


FIG. 1. Indication on the presence of  $[\text{Fe}(\text{H}_2\text{O})_4(\text{NO})]^{2+}$  from *ab initio* molecular dynamics simulations. a-c. Snapshots taken from the simulation showing the equilibrium between  $[\text{Fe}(\text{H}_2\text{O})_5(\text{NO})]^{2+}$  and  $[\text{Fe}(\text{H}_2\text{O})_5(\text{NO})]^{2+}$  through the exchange of one  $\text{H}_2\text{O}$ . Panel a shows the octahedral  $[\text{Fe}(\text{H}_2\text{O})_5(\text{NO})]^{2+}$  complex. The intermediate state with one equatorial  $\text{H}_2\text{O}$  molecule dissociating from the penta-aqua complex is shown in panel b. Panel c depicts the formation of the square-pyramidal  $[\text{Fe}(\text{H}_2\text{O})_4(\text{NO})]^{2+}$  complex. d. Radial distribution functions, normalized at the first peak to enhance features, for the five coordinating water molecule with respect to the Fe center. The black line shows the RDF for the Fe-O<sub>5</sub> bond, showing its bimodal distribution and looseness, in stark contrast with the rest of the RDFs. In Figure S1, the corresponding curves with proper normalization is given. e. The optimized geometries of the  $[\text{Fe}(\text{H}_2\text{O})_5(\text{NO})]^{2+}$  and  $[\text{Fe}(\text{H}_2\text{O})_4(\text{NO})]^{2+}$  complex.

90 Upon visualizing the trajectory obtained from the simulation, we found that the  $[\text{Fe}(\text{H}_2\text{O})_5(\text{NO})]^{2+}$   
91 penta-aqua complex can lose an equatorial  $\text{H}_2\text{O}$  molecule to form a  $[\text{Fe}(\text{H}_2\text{O})_4(\text{NO})]^{2+}$  tetra-  
92 aqua species in which relaxation lead to a square-pyramidal geometry.  $[\text{Fe}(\text{H}_2\text{O})_5(\text{NO})]^{2+}$   
93 can subsequently bind a water molecule from the bulk and revert back to the parent  
94 penta-aqua complex. The snapshots of these processes from the simulation are shown in  
95 Figure 1a-c. which clearly shows the phenomenon involving de-aquation and re-aquation.  
96 The simulation time is too short, though, in comparison to the time-scale of the processes  
97 to determine the statistics of this dynamical equilibrium. Also, as we show below the  
98 limitations of the BP86 functional approximation prohibit accurate free energy simulations  
99 to investigate the chemical equilibrium quantitatively. Instead, we focus on structural and  
100 electronic characteristics of the this duality of the brown ring complex.

101 In Figure 1d, the radial distribution function (RDF) for each of the individual distances  
102 between the  $\text{Fe}^{2+}$  cation and the closest five water oxygen atoms ( $\text{O}_i$  for  $i = 1 - 5$  at any  
103 given time) are presented.

104 An extra normalization to the peak maximum of each curve us used to enhance the  
105 differences in shape. In the supplementary information(SI), corresponding RDFs without  
106 the extra normalization are presented in Figure S1 and in Figure S2c-d in the SI, the RDF  
107 of the remaining water oxygen atoms relative to iron and the Fe-Cl RDF are plotted for  
108 comparison showing the second hydration shell and the outer sphere coordination of  $\text{Cl}^-$   
109 anions. The iron nitrosyl RDFs are presented in Figure S2a-b in the SI.

110 In the first hydration shell of the brown ring complex, the four closest water molecules  
111 (RDFs of  $\text{Fe}-\text{O}_i$  for  $i = 1 - 4$ ) are strongly bound to the iron cation, where as the fifth  
112 water molecule (RDF of  $\text{Fe}-\text{O}_5$ ) has a bimodal distribution signifying the occurrence of both  
113 penta-aqua and tetra-aqua complexes. Furthermore, the shape of the inner peak is much  
114 broader for  $\text{Fe}-\text{O}_5$  than for  $\text{Fe}-\text{O}_i$  ( $i = 1 - 4$ ) reflecting a clearly softer iron water interaction  
115 of the fifth water molecule. Based on these simulation we propose that  $[\text{Fe}(\text{H}_2\text{O})_5(\text{NO})]^{2+}$   
116 and  $[\text{Fe}(\text{H}_2\text{O})_4(\text{NO})]^{2+}$  species can co-exist in the aqueous solution.

117 It is very well know from previous studies that the  $[\text{Fe}(\text{H}_2\text{O})_5(\text{NO})]^{2+}$  species posses a  
118 multi-configurational wave function [6, 16]. Hence, the pure DFT description in the AIMD  
119 simulation is a limitation which prevents a quantitative analysis. However the simulations  
120 were performed within the unrestricted Kohn-Sham formalism which can to some extent  
121 capture the open shell character of the wave function as reflected by the presence of spin

122 contamination. Hence, we performed static DFT computations with implicit solvation at  
123 the BP86/def2-TZVP/cpcm(water) level on both the penta-aqua and tetra-aqua complex  
124 and found the expectation value of the electron spin operator  $\langle S^2 \rangle$  to be 4.23 and 4.15 re-  
125 spectively, which clearly points to a substantial spin contamination. The BP86 functional  
126 has been shown to work well for this system, in previous studies, in reproducing molecu-  
127 lar geometry and spin density in previous studies [6]. Thus, this interesting observation  
128 of the existence of a tetra-aqua complex along with the classically accepted penta-aqua  
129 complex, from the AIMD simulations, which has the aforementioned limitation, warrants a  
130 more careful investigation using more accurate static multi-configurational quantum chem-  
131 ical computations on static models.

132     2.    *Multi-reference ab initio calculations and UV-vis spectra*

133     After observing the presence of  $[\text{Fe}(\text{H}_2\text{O})_4(\text{NO})]^{2+}$  and  $[\text{Fe}(\text{H}_2\text{O})_5(\text{NO})]^{2+}$  in the AIMD  
134 simulation in aqueous solution, the electronic structure and electronic excitations of the two  
135 complexes were studied thoroughly using multi-reference *ab initio* quantum chemical calcu-  
136 lations in the ORCA program package [23]. Both these complexes have a quartet ground  
137 state. Geometries of the complexes were extracted from the MD simulation and optimized  
138 at the (U)TPSSh/def2-TZVP/cpcm(water) level of theory, which has been shown to func-  
139 tion well in reproducing the geometry of Fe-NO complexes including the ones fraught with  
140 quasi-degeneracy [17, 24]. Thus we obtain the geometries in the absence of explicit sol-  
141 vating water molecules and its hydrogen bonding to the second solvation shell, but with  
142 implicit solvation i.e. cpcm(water), namely; (penta-aqua) $[\text{Fe}(\text{H}_2\text{O})_5(\text{NO})]^{2+}$  and (tetra-  
143 aqua) $[\text{Fe}(\text{H}_2\text{O})_4(\text{NO})]^{2+}$ . Nonetheless, we also decided to estimate the effects of the inclusion  
144 of explicit solvation. The interactions of the penta-aqua and tetra-aqua complexes with the  
145 surrounding solvent can only be accurately accounted for in a model including surround-  
146 ing H-bonded water molecules. However, proper description of the electronic structure of  
147 the complexes on the other hand requires high-level multi-reference *ab initio* methods, like  
148 CASPT2/NEVPT2 [25, 26]. Consequently sampling of many different solvation structures  
149 is a challenge, and thus the geometry of a solvation model of the complex surrounded by 11  
150 H-bonded water molecules was prepared and optimized at the same level of theory. It is im-  
151 portant to note here that the models, both with and without explicit solvation, contain the

152 cpcm(water) implicit solvation in both geometry optimization and the electronic structure  
 153 investigations with single point DFT and CASSCF/NEVPT2/CASPT2 calculations. From  
 154 now on the model with 11 explicit solvating water molecules will be denoted as explicitly  
 155 solvated complex, and if not mentioned otherwise the model with only implicit cpcm(water)  
 156 solvation is indicated.

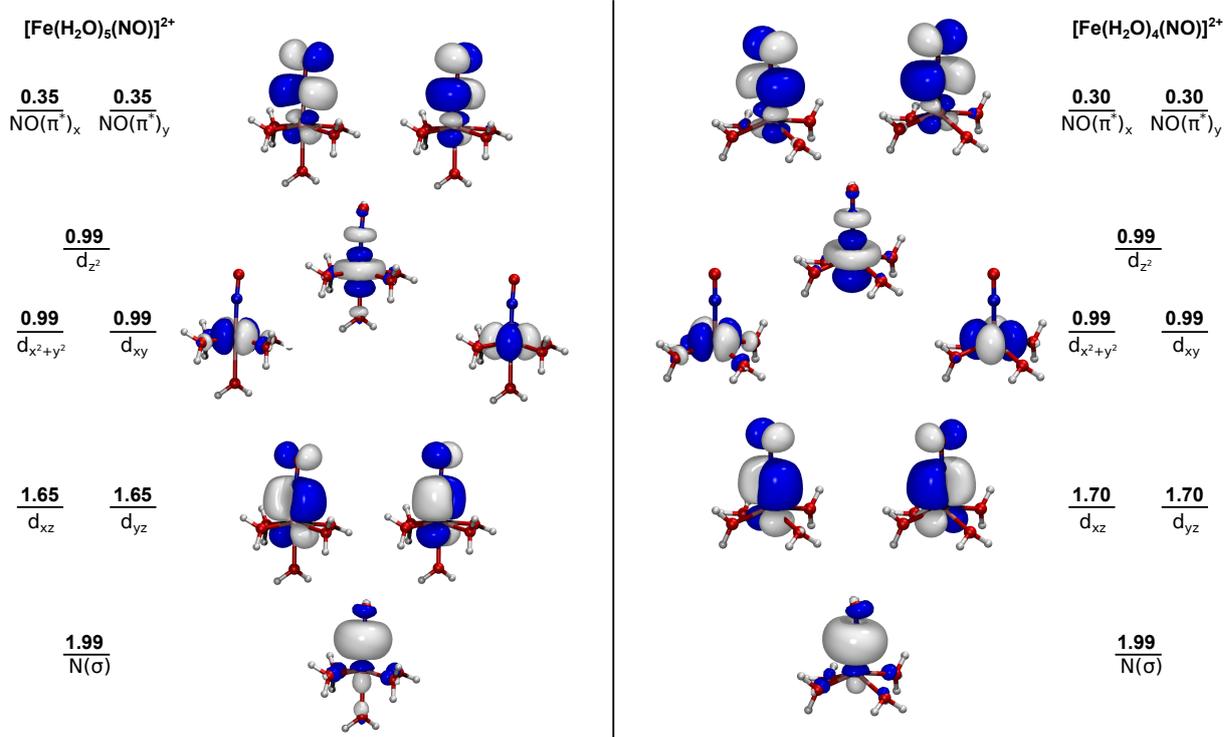


FIG. 2. **Ground state molecular orbitals for the two relevant complexes.** Orbitals obtained from state-specific CASSCF(9,8) computation for  $[\text{Fe}(\text{H}_2\text{O})_5(\text{NO})]^{2+}$  (left) and  $[\text{Fe}(\text{H}_2\text{O})_4(\text{NO})]^{2+}$  (right). The natural population is given above the orbitals in bold. The energies of the orbitals are mentioned below. The figure also describes the orbitals based on its character as mentioned alongside each orbital.

157 Considering geometries optimized at DFT level, we performed *ab initio* multi-reference  
 158 computation on the penta-aqua and tetra-aqua complexes with and without explicit solva-  
 159 tion. We employed a complete active space for the complexes with 9 electrons in 8 active  
 160 orbitals, *i.e.* CAS(9,8). The orbitals chosen for the active space constituted of the  $\text{N}(\sigma)$ , the  
 161 five  $\text{Fe}(3d)$  orbitals and the two  $\text{NO}(\pi^*)$  orbitals, included to accurately describe the elec-  
 162 tronic structure of the complex. This active space includes all the orbitals, from the valence  
 163 orbital space, which account for the interaction between the Fe and N, of the NO moiety.

164 NEVPT2 [26] (and CASPT2 [25]) calculations were performed on the same CAS(9,8) ref-  
 165 erence wave function to account for dynamical correlation, which has been shown to play a  
 166 central role in the description of electronic structure of Fe-NO complexes [15].

167 The brown ring complex has been established to be a  $\{\text{FeNO}\}^7$  species and hence doublet,  
 168 quartet and sextet ground states are tentatively plausible. The doublet and sextet ground  
 169 states are, however, significantly higher in energy as compared to the quartet ground state,  
 170 see Table S1 in SI [27], for both penta-aqua and tetra-aqua complexes. Since we do not  
 171 discuss physical/chemical processes where spin-orbit coupling is important in this study, we  
 172 otherwise strictly confine our focus to the quartet manifold.

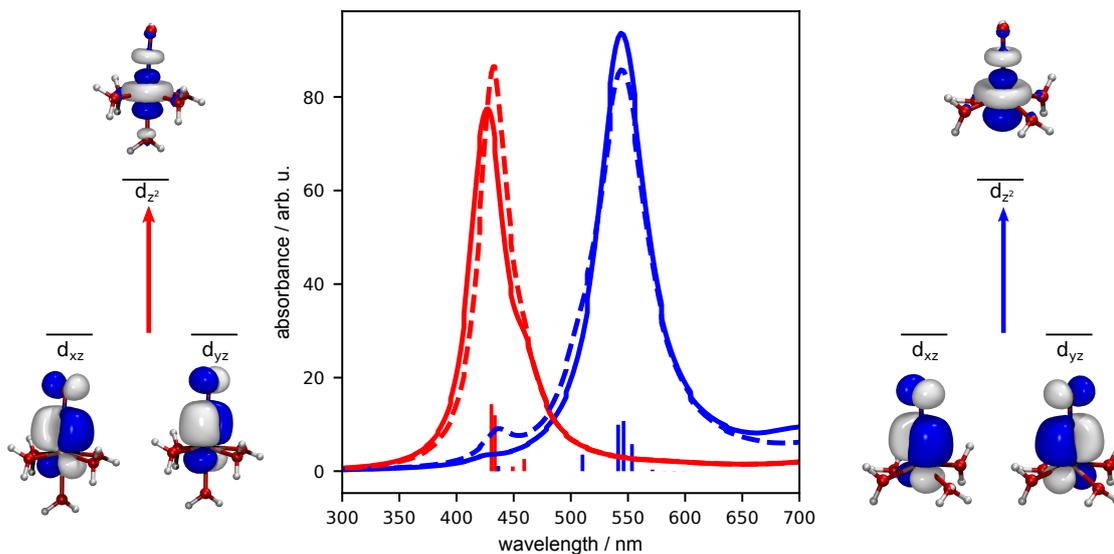


FIG. 3. **Computed UV-vis spectra at the CASSCF(9,8)/NEVPT2/def2-TZVP/cpcm(water) level of theory.** Static spectra of the  $[\text{Fe}(\text{H}_2\text{O})_4(\text{NO})]^{2+}$  (red) and  $[\text{Fe}(\text{H}_2\text{O})_4(\text{NO})]^{2+}$  (blue) with (dotted line) and without (smooth line) explicit solvation. The orbitals involved in the most pronounced transitions are given alongside the spectra for  $[\text{Fe}(\text{H}_2\text{O})_5(\text{NO})]^{2+}$  (left) and  $[\text{Fe}(\text{H}_2\text{O})_4(\text{NO})]^{2+}$  (right).

173 The CASSCF/NEVPT2 calculations of the  $[\text{Fe}(\text{H}_2\text{O})_5(\text{NO})]^{2+}$  and  $[\text{Fe}(\text{H}_2\text{O})_4(\text{NO})]^{2+}$   
 174 complexes, as well as the explicitly solvated models, consistently show multi-reference char-  
 175 acter of the ground state wave function. The CASSCF optimized orbitals are shown in  
 176 Figure 2. As clearly seen from Figure 2, the multi-reference nature arises due to the  
 177 back-donation of electrons from the Fe(  $d_{xz}$  and  $d_{yz}$  ) orbitals to  $\text{NO}(\pi^*)$  orbital. This  
 178 is reflected in the fractional natural occupation in these orbitals in agreement with earlier  
 179 studies [6, 15, 17, 24].

180 Having determined the multi-reference wave function of the quartet ground state ( $Q_1$ ),  
181 consistent with previous computations, we investigate the quartet excited state manifold.  
182 We started with the computation of the classic brown ring complex, i.e.  $[\text{Fe}(\text{H}_2\text{O})_5(\text{NO})]^{2+}$ .  
183 We performed a state averaged CASSCF, SA-CASSCF, over 10 quartet states with the same  
184 CAS(9,8) active space, followed by NEVPT2. The energies of the excited states cover the  
185 relevant region in visible region, as indicated by UV spectrum given in **Figure 1** of Wanat et  
186 al., and our calculated excitation energies are listed in Table S2 in SI [27]. Inclusion of more  
187 excited states in the State-Averaging can impact the quality of the CASSCF computation  
188 and moreover we are not interested in a excitation wavelength lower than 450-430 nm as per  
189 the focus of our study which is revealed later as the story unravels.

190 Upon plotting the the absorption spectra obtained at the NEVPT2 level, we found that  
191 the complex has a strong absorption at 430 nm, see Figure 3. The same computation was  
192 also performed on the explicitly solvated model, with essentially the same spectra being  
193 produced. The color of a complex can easily be linked to its UV-vis spectra as is very  
194 well known in inorganic chemistry. According to this computation, the  $[\text{Fe}(\text{H}_2\text{O})_5(\text{NO})]^{2+}$   
195 complex, with a the sharp absorption centered around 430 nm, alone would give a yellow  
196 color to the solution. Moreover, the brown color, as seen in the brown ring test, is consistent  
197 with the UV-vis spectrum of the brown-ring system as measured by Wanat and co-workers  
198 [4] which contains two peak, one sharp peak at 450 nm and another weaker one at 585 nm,  
199 as shown in **Figure 1** in Wanat et al. [4]. The combination of strong absorption at 450  
200 nm and weaker absorption at 585 nm can render the solution a brown color, but a lone  
201 peak at 450 nm cannot. Thus, according to the NEVPT2 calculations, the UV-vis spectrum  
202 of the penta-aqua species alone can not explain neither the color nor the dual peak in the  
203 experimental UV-vis spectra. Moreover the accurate reproduction of the peak at 450 nm  
204 by  $[\text{Fe}(\text{H}_2\text{O})_5(\text{NO})]^{2+}$  and absence of peak around 585 nm, motivated us to further consider  
205 the possibility of a chemical equilibrium between a penta-aqua and a tetra-aqua species as  
206 indicated in the AIMD simulation.

207 Embarking on this idea we carried out the similar NEVPT2 calculations on 10 quartet  
208 states of the  $[\text{Fe}(\text{H}_2\text{O})_4(\text{NO})]^{2+}$  complex. In Figure 3, we clearly observe that the absorption  
209 for  $[\text{Fe}(\text{H}_2\text{O})_4(\text{NO})]^{2+}$  is centered around 550 nm, a clear indication to the species behind  
210 the small long wavelength peak in the UV-vis spectra. Consequently the distinctive **brown**  
211 coloration in the brown ring test is henceforth ascribed not only due to the penta-aqua

212 species, but also due to the presence of a tetra-aqua complex,  $[\text{Fe}(\text{H}_2\text{O})_4(\text{NO})]^{2+}$ . The  
213 suggested possibility is new to the best of our knowledge and is a very interesting insight  
214 into a traditional chemical reaction, which we propose based on evidence provided with  
215 advanced quantum chemical methods including both static and dynamical correlation. It is  
216 worth mentioning here that the explicitly solvated model give essentially identical spectra  
217 as the one without, which signifies that the explicit solvation has a negligible effect on the  
218 electronic transitions in the spectra, according to this limited investigation of the solvent-  
219 solute interactions. The excitation energies, obtained from NEVPT2 calculations, for both  
220 with and without explicitly solvated models were verified at the CASPT2 level of theory,  
221 with all the excitation energies found to be consistent with NEVPT2 within 0.3-0.4 eV  
222 variation, see Table S2 and S3 in SI [27].

223 The nature of the electronic transitions, involved in the relevant peaks discussed above,  
224 were deduced by inspecting the natural population and natural orbitals of the respective  
225 excited states. For  $[\text{Fe}(\text{H}_2\text{O})_5(\text{NO})]^{2+}$  the peak at 430 nm (NEVPT2) primarily arises as a  
226 result of transitions to the  $Q_9$  and  $Q_{10}$  states. These two states are d-d transition states,  
227 generated by transitions of an electron from the  $d_{xz}$  and  $d_{yz}$  orbitals to the  $d_{z^2}$  orbital, see  
228 Figure 3. Not having center of symmetry d-d transitions for these complexes can give rise to  
229 and in fact results in bright transitions. The peak at 550 nm for  $[\text{Fe}(\text{H}_2\text{O})_4(\text{NO})]^{2+}$  results  
230 due to transitions to the  $Q_7$  and  $Q_8$  states, which correspond to the same d-d transition  
231 states as seen for the penta-aqua complex, involving the same set of Fe-d orbitals. The  
232 removal of an  $\text{H}_2\text{O}$  stabilizes the d-d transition for the tetra-aqua species more than in the  
233 penta-aqua species. Hence, the  $Q_9$  and  $Q_{10}$  states in the penta-aqua complex correspond to  
234 the  $Q_7$ ,  $Q_8$  states in the tetra-aqua complex and the peak for the penta-aqua complex is red  
235 shifted in the tetra-aqua complex. The  $d_{z^2}$  orbital which is axially directed, for both these  
236 two complexes, accepts the excited electron. The removal of the water molecule reduces  
237 the electron density along the axial direction. This in turn reduces the Coulomb repulsion  
238 experienced by the excited electron in the  $d_{z^2}$  orbital, thus stabilizing these two states, and  
239 hence red shifting the peak. The lower excited states are of metal-to-ligand charge-transfer  
240 (MLCT) in nature with transition from the metal center to the  $\text{NO}(\pi^*)$ , followed by the  
241 transfer of other metal centered d-d transitions which corresponds to transition from  $d_{xz}$ ,  
242  $d_{yz}$  to  $d_{xy}$  and  $d_{x^2+y^2}$ . The ordering of these metal centered (MC) states are changed as one  
243 goes from penta-aqua to tetra-aqua species along with the shift in the peak position.

244 Motivated by the static computations and the strong indication that the UV-vis spectra  
245 cannot be explained by a single complex, we proceeded towards a more accurate simulation  
246 of the UV-vis spectra of the penta-aqua and tetra-aqua species giving more realism in the  
247 comparison to the experimental spectrum. Not much improvement can be done on the elec-  
248 tronic structure front as we are already employing the highly accurate NEVPT2 method,  
249 and verified them by CASPT2 calculations. Instead we resorted to spectrum simulations  
250 at the NEVPT2 level of theory with Wigner sampling of geometries at DFT level. 101  
251 geometries of both the complexes were sampled using temperature dependent Wigner dis-  
252 tribution, at 293 K, as implemented in SHARC-2.1.1, [28]. Temperature dependent Wigner  
253 distribution has been recently shown to accurately produce the UV-vis absorption spectra  
254 of transition metals complexes [29]. The temperature dependent Wigner distribution is  
255 essential in reproducing the spectra if floppy vibrations are present. The Wigner sampled  
256 UV-vis spectrum for  $[\text{Fe}(\text{H}_2\text{O})_5(\text{NO})]^{2+}$  clearly shows the peak at 440 nm, which practically  
257 coincides with the sharp peak at 450 nm in the experimental spectra, see Figure 4. The  
258 simulated spectrum for  $[\text{Fe}(\text{H}_2\text{O})_4(\text{NO})]^{2+}$  at the same level of theory shows a peak, of much  
259 diminished intensity as compared to the one at 440 nm, at around 580 nm, which is clearly  
260 identified with the peak at 590 nm in the experimental UV-vis spectrum. This close repro-  
261 duction of the UV-vis spectrum at the temperature dependent Wigner sampled spectra, at  
262 the NEVPT2 level of theory, enhances the credibility of our hypothesis.

263 Having established that the UV-vis spectrum and hence the brown color of the brown ring  
264 cannot be solely explained by a single complex, we turn our attention towards the energetics  
265 of the two species, whose existence are indicated by the AIMD simulation. Due to the multi-  
266 reference nature of the electronic ground state in both the complexes, the pure functional  
267 with unrestricted wave function, though can accurately predict the geometries, in such  
268 case, are often unable to accurately estimate the relative energetics between the complexes.  
269 Hence we also compared the energies of the complexes at the CASSCF(9,8)/NEVPT2 level  
270 of theory. The release of an  $\text{H}_2\text{O}$  from  $[\text{Fe}(\text{H}_2\text{O})_5(\text{NO})]^{2+}$  to give  $[\text{Fe}(\text{H}_2\text{O})_4(\text{NO})]^{2+}$  brings  
271 about two important changes in the system, which are opposing to each other in enthalpic  
272 terms. There is a loss of Fe-OH<sub>2</sub> bond and the gain of two extra H-bonds, that the evolved  
273 H<sub>2</sub>O can form with its two lone pairs. In the aqueous solutions there are of course numerous  
274 hydrogen bonding opportunities, but we believe that the limited models may capture the  
275 essential physics in the process.

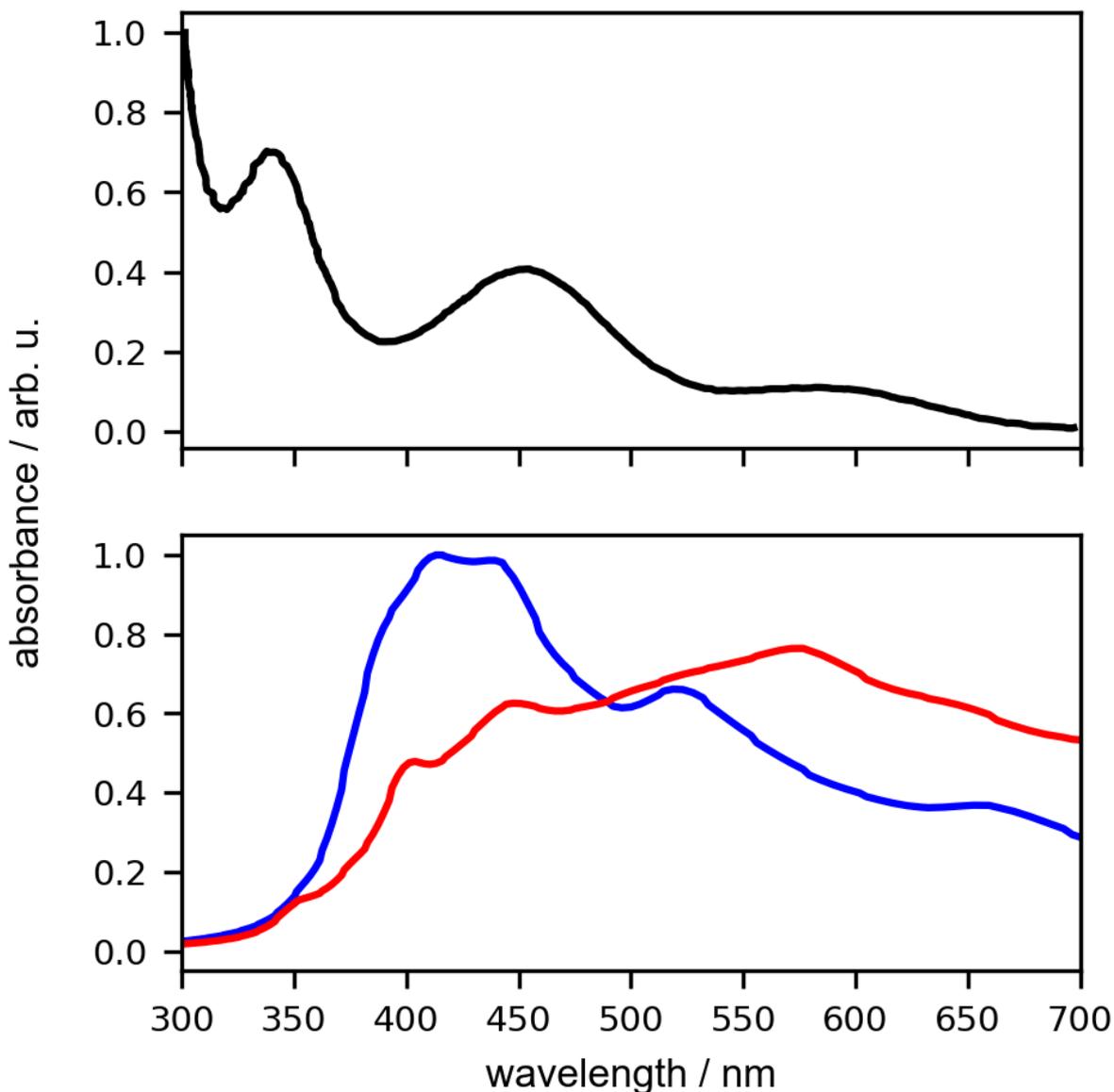


FIG. 4. **Simulated UV-vis spectra based on a temperature dependent Wigner distribution.** Spectra for  $[\text{Fe}(\text{H}_2\text{O})_5(\text{NO})]^{2+}$  (red) and  $[\text{Fe}(\text{H}_2\text{O})_4(\text{NO})]^{2+}$  (blue) at CASSCF(9,8)/NEVPT2/TZVP/cpcm(water) level of theory averaged over 101 geometries sampled from the temperature dependent Wigner distribution at 293 K. The black line in the top panel represents the experimental UV-vis spectra as extracted and reproduced from **Figure 1** in Wanat et al. [4].

276 Energetically apart from the free energy gain when a water dissociates, the bond disso-  
 277 ciation energy, of Fe-OH<sub>2</sub> bond, can partly be compensated by the gain of H-bonds that

278 the released water molecule forms. As the system is inherently multi-reference, we can a  
 279 *priori* only trust energetics obtained at CASSCF/NEVPT2 level of theory. We performed a  
 280 relaxed scan along the reaction coordinates, as identified from *ab-initio* MD simulation, at  
 281 the TPSSh/def-TZVP/cpcm(water) level of theory, by relaxing all the internal coordinates  
 282 other than the fixed scanned coordinate at each point. Following this, these geometries were  
 283 used for CASSCF/NEVPT2/ZORA-def2-TZVP and CASSCF/CASPT2/ZORA-def2-TZVP  
 284 single point computations along the scans. Please see IV section for details on energetics  
 285 computation.

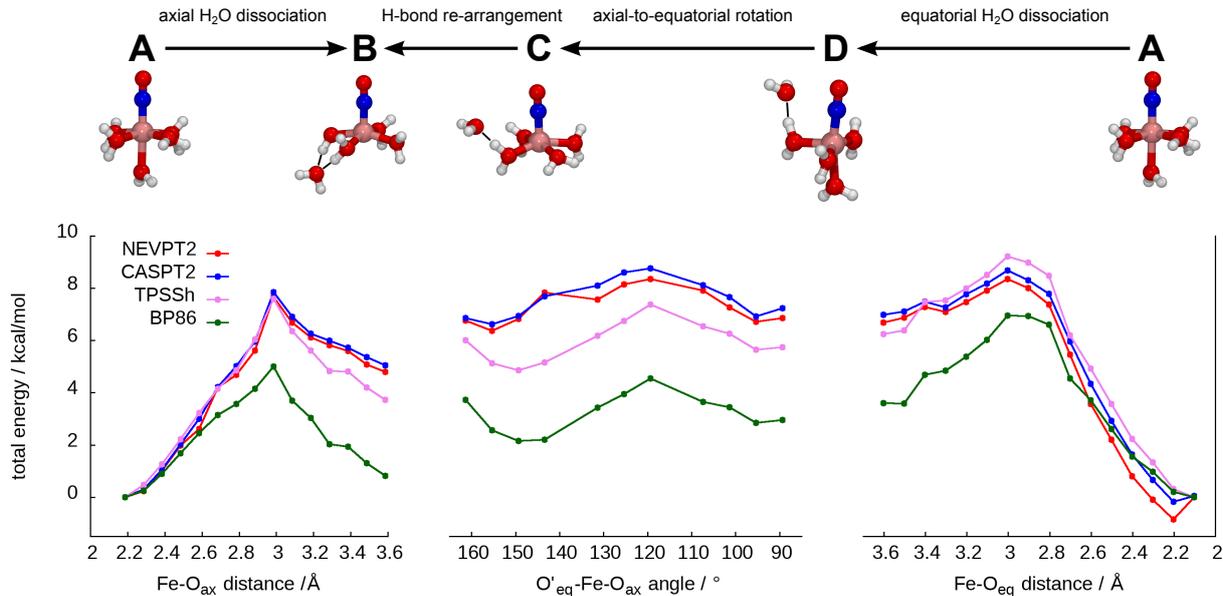


FIG. 5. **Cuts in the ground state potential energy surface along particular reaction coordinates for different quantum chemical methods.** Potentials for NEVPT2(black), CASPT2(blue), TPSSh(violet) and BP86(green) for the relaxed scan along the different reaction coordinate. From left to right we show the scans along  $\text{Fe-O}_{ax}$ ,  $\text{O}'_{eq}\text{-Fe-O}_{ax}$  bond angle and  $\text{Fe-O}_{eq}$  degree of freedom, respectively. The H-bonding formed by the  $\text{H}_2\text{O}$  dissociation is shown with the dotted black lines in the figure in the right. Two pathways and the corresponding reaction coordinates are depicted for transformation from **A** to **B** and is highlighted at the top of the figure. The process representing that particular reaction coordinate is also mentioned above the corresponding arrows.

286 As identified from the AIMD simulation and highlighted in Figure 1a-c, we see that firstly  
 287 the equatorial  $\text{H}_2\text{O}$  dissociates from the penta-aqua complex. This leads to the formation  
 288 of a distorted trigonal pyramidal tetra-aqua complex (see Figure 1b) which functions as

289 an intermediate state. Subsequently the axial H<sub>2</sub>O increases the O'<sub>eq</sub>-Fe-O<sub>ax</sub> angle in the  
290 formation of a square-pyramidal complex, see Figure 1c. In Figure 5 we plot cuts in the  
291 ground state potential energy surface, described at the DFT, NEVPT2 and CASPT2 levels  
292 of theory, along relevant reaction coordinates.

293 We looked into the possibility of both equatorial as well as axial H<sub>2</sub>O dissociation, by  
294 performing relaxed scans along the corresponding Fe-OH<sub>2</sub> bond distances. Additionally we  
295 also performed a relaxed scan along the O'<sub>eq</sub>-Fe-O<sub>ax</sub> bond angle following the last point in  
296 the equatorial H<sub>2</sub>O dissociation scan, where the O'<sub>eq</sub> denotes the oxygen atom in the water  
297 molecule directly opposite to the one(equatorial, i.e. O<sub>eq</sub>) which dissociates.

298  
299 We denote different species on the ground state potential energy surface by alphabets.  
300 The dissociation of an equatorial H<sub>2</sub>O from the octahedral penta-aqua complex (**A**) gives  
301 rise to a distorted trigonal-bi-pyramidal tetra-aqua complex (**D**) which then undergoes a  
302 relaxation along the O'<sub>eq</sub>-Fe-O<sub>ax</sub> bond angle to give the square-pyramidal complex (**C**). This  
303 then forms an additional H bond and relaxes to the lowest possible configuration for the  
304 tetra-aqua complex (**B**). So this forms a three step process from **A** to **B**. This is more or  
305 less also the pathway shown by AIMD. However if we do an axial H<sub>2</sub>O dissociation scan we  
306 found that **A** directly transforms to **B** and that too with a lower energy barrier with respect  
307 to the the three step process discussed earlier. This indicates the axial dissociation to be  
308 the plausibly predominant pathway.

309 Comparing the performance of different quantum chemical approximations, the NEVPT2  
310 and CASPT2 potential energy surfaces are practically identical with sub kcal/mol difference,  
311 whereas DFT predicts a more stable tetra-aqua species, as clearly seen in Figure 5. The  
312 extra stabilization for the tetra-aqua species, produced by BP86 is a clear deviation from  
313 more accurate NEVPT2 and CASPT2. This corroborates our claim that it is wise to avoid  
314 energy estimations from the CPMD simulations and alternate routes are discussed later. The  
315 inclusion of exact exchange and higher order kinetic energy terms in the meta-hybrid TPSSh  
316 functional yields a close reproduction of NEVPT2 and CASPT2 results, which justifies our  
317 geometry optimizations with TPSSh. It also opens up a latter avenue of performing AIMD  
318 with this particular functional. In addition we observe, as seen in both the Fe-O<sub>ax</sub> and  
319 Fe-O<sub>eq</sub> bond distance scans from Figure 5, that the energy steadily increases as the Fe-O  
320 bond is broken, reaching a maxima, where the released water molecule forms two H-bonds

321 with the equatorial water molecules, as shown by black lines in Figure 5. The last step of the  
322 scan is seen to be only  $\sim 4.7$  kcal/mol in energy above the initial point, i.e. the penta-aqua  
323 complex. Consequently the formation of the  $[\text{Fe}(\text{H}_2\text{O})_4(\text{NO})]^{2+}$  is energetically stabilized by  
324 the formation of two extra H-bonding, as highlighted by black lines in Figure 5.

325 There is also the gain in the free energy which we have not considered in these cluster  
326 models yet. Now the computation of the free energy of dissociation in the solvent phase is  
327 particularly difficult in this system, since the failure in energetics of the DFT framework does  
328 not allow for sampling of the free energy difference in the AIMD framework. We have tried  
329 to address this in a way which is commonly practiced and well established when computing  
330 the free energy profile of reaction mechanisms [30]. We have optimized the penta-aqua,  
331 tetra-aqua and a water molecule separately at (U)TPSSh/def2-TZVP/cpcm(water) level of  
332 theory, followed a frequency computation. The free energy correction were obtained, which  
333 were scaled by a factor of 0.5 which has been shown to be standard protocol by many early  
334 studies [30, 31]. The free energy correction, obtained by the aforementioned protocol, for  
335 the reaction,  $[\text{Fe}(\text{H}_2\text{O})_5(\text{NO})]^{2+} \rightarrow [\text{Fe}(\text{H}_2\text{O})_4(\text{NO})]^{2+} + \text{H}_2\text{O}$ , turns out to be -4.9 kcal/mol.  
336 Thus the total free energy change for the water dissociation process can be approximated to  
337 be very near to the  $\sim 0$  kcal/mol [ $\sim(4.7-4.9)$  kcal/mol]. Accurate estimation would require a  
338 much more detailed study like the one performed by Dixon and co-workers, and Spencer and  
339 co-workers for uranium and plutonium complexes [32–34], and so only an approximate value  
340 is mentioned. Moreover we computed the energy difference between the penta-aqua and  
341 tetra-aqua complex with the explicitly solvated model. For the explicitly solvated model,  
342 for which we were able to optimize two different H-bonding configurations, the energy for  
343 the  $[\text{Fe}(\text{H}_2\text{O})_4(\text{NO})]^{2+}$  was found to be 1.36 and 5.5 kcal/mol above  $[\text{Fe}(\text{H}_2\text{O})_5(\text{NO})]^{2+}$ ,  
344 with the lower value predicted when two extra H-bonds are present. The energetic profiling  
345 clearly shows that fluctuations in the H-bonding environment around the solute can favor  
346 one species over the other. Thus based of NEVPT2 and CASPT2 energetics which are  
347 considered as gold standards in *ab initio* multi-reference PT level of theories, the occurrence  
348 of both these complex in the aqueous solution observed in the AIMD simulations is plausible.

### 349 III. CONCLUSION

350 This study has revealed a new aspect of the well known brown ring test. Our AIMD  
351 simulations and multi-reference *ab initio* perturbation theories give strong indications of the  
352 existence of the  $[\text{Fe}(\text{H}_2\text{O})_4(\text{NO})]^{2+}$  complex in the solution along with the commonly con-  
353 sidered  $[\text{Fe}(\text{H}_2\text{O})_5(\text{NO})]^{2+}$ . We also establish based on SA-CASSCF/NEVPT2 computation  
354 that  $[\text{Fe}(\text{H}_2\text{O})_5(\text{NO})]^{2+}$  alone cannot impart the brown coloration to the brown-ring test.  
355 Instead it is the result of the presence of both  $[\text{Fe}(\text{H}_2\text{O})_5(\text{NO})]^{2+}$  and  $[\text{Fe}(\text{H}_2\text{O})_4(\text{NO})]^{2+}$ ,  
356 which adds the dimension of dynamic complexity to this case of text book chemistry.

357 It is difficult to experimentally verify the existence of the two species in solution due to  
358 the inherent instability of the system, but it may be possible with advanced spectroscopic  
359 techniques. However, sample delivery is challenge due to necessity of dissolution of NO  
360 and the instability of the complex itself. Core-level spectroscopy at the iron edge would be  
361 expected to show a bimodal signal in the presence of both the penta-aqua and tetra-aqua  
362 species. We also propose that  $[\text{Fe}(\text{H}_2\text{O})_5(\text{NO})]^{2+}$  and  $[\text{Fe}(\text{H}_2\text{O})_4(\text{NO})]^{2+}$  species will have  
363 strikingly different extended x-ray absorption fine structure (EXAFS) signature. Mössbauer  
364 spectroscopy could be of help and thus we computed the Mössbauer splitting for both the  
365 penta-aqua and tetra-aqua species, at CASSCF level of theory for the explicitly solvated  
366 complexes, and found the values to be 2.1 mm/s and 1.2 mm/s respectively. Additionally  
367 change of solvent could be done judiciously to favor one species over the other and then  
368 individual UV-vis or other spectra could be obtained.

369 Our serendipitous finding and the bold suggestion, that follows from it, challenges a  
370 well known notion about an even better known reaction. In consequence, this study opens  
371 up new challenges for our experimental colleagues to verify or refute this suggestion using  
372 the very state-of-the-art spectroscopic techniques, though as our theory is based on sound  
373 electronic structure methods we strongly believe the two species to play an important role  
374 in the chemistry of the brown ring test.

## 375 IV. METHODS

### 376 A. *Ab initio* molecular dynamics simulations

377 The AIMD simulation was performed of a system containing altogether Fe(NO)Cl<sub>2</sub> and  
378 128 water molecules at 300 K using the Nosé–Hoover [35, 36] chain thermostat for sampling  
379 within the NVT ensemble. In the Car-Parrinello algorithm, we used a fictitious mass of  
380 500 a.u. for the electronic orbital degrees of freedom and a time step of 0.072 fs for the  
381 integration of the equations of motion. The Packmol package [37] was used to pack 123  
382 water molecules along with [Fe(H<sub>2</sub>O)<sub>5</sub>(NO)]<sup>2+</sup> and two Cl<sup>-</sup> anions in a cubic box of size  
383 15.9911 Å to obtain a density of 0.9999 g/cm<sup>3</sup> (or actually 1.1046 g/cm<sup>3</sup> since the system  
384 was deuterated to reduce the spectral overlap between nuclear motion and fictitious electron  
385 degrees of freedom). The system was equilibrated for 20 ps, confirmed by the subsequent  
386 absence of drift in potential energy. The fictitious velocities was reset to zero every 10 ps to  
387 avoid heating up of the electronic degrees of freedoms. The trajectory was sampled every  
388 20 time step.

389 A plane wave basis set with a cut-off of 70 Ry was used and the core electrons were treated  
390 with Troullier-Martins [38] norm-conserving pseudo-potentials expressed in the Kleinman-  
391 Bylander form [39]. Pseudo-potentials for nitrogen, oxygen, and chlorine included p and  
392 s channels and were non-local in the s channel, whereas for that of hydrogen only had an  
393 s channel. For iron, non-linear exchange and correlation core-corrections [40] were employ  
394 with a pseudo-potential containing d and s channels and non-local in the d channel.

### 395 B. Quantum chemical computation

396 Implicit solvation with water as solvent was accounted by cpcm model for all quan-  
397 tum chemical computations. All DFT optimization, scan and frequency computations were  
398 done with the Gaussian 16 quantum chemical package [41]. The free energy correction was  
399 done following the protocol described in references 30, 31 using the thermal corrections  
400 given by frequency calculations. The free energy correction  $G_{corr}$  and  $H_{corr}$  was obtained  
401 from the frequency computations. Though the free energy corrections were computed using  
402 cpcm(water) solvation, Sackur-Tetrode equation which follows the ideal gas approximation  
403 was used. For this reason the entropy is scaled by factor 0.5 when computing free energy

404 changes in condensed phase.

$$-TS_{sol} = 0.5[G_{corr} - H_{corr}]$$

$$G_{sol} = E_{sol} + H_{corr} + 0.5[G_{corr} - H_{corr}]$$

405 All single point computations were performed in ORCA 4.2.0 [23]. For the UV-vis spec-  
406 tra, we performed CASSCF/NEVPT2/CASPT2/def2-TZVP single calculations employing  
407 a CAS(9,8) active space as discussed in the main text. In the scans (relaxed at the TPSSh  
408 level), the energetics was estimated by single point DFT (BP86 and TPSSh), NEVPT2 and  
409 CASPT2 computations using ZORA-def2-TZVP basis set. ZORA was used in energetics as  
410 we wanted to be as accurate in this as possible and is neglected in computing UV-vis spectra  
411 since these are mostly restricted to valence electrons.

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423 **Author contributions** The project was designed and led by A.B and M.O. Simulations  
424 were performed and analyzed by A.B. and M.C. The manuscript was written by A.B., M.C.,  
425 and M.O.

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427 A.B. and M.O.

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